

Deep learning overview, representation learning methods in detail (sammons map, t-sne), the backprop algorithm in detail, and regularization and its impact on optimization.

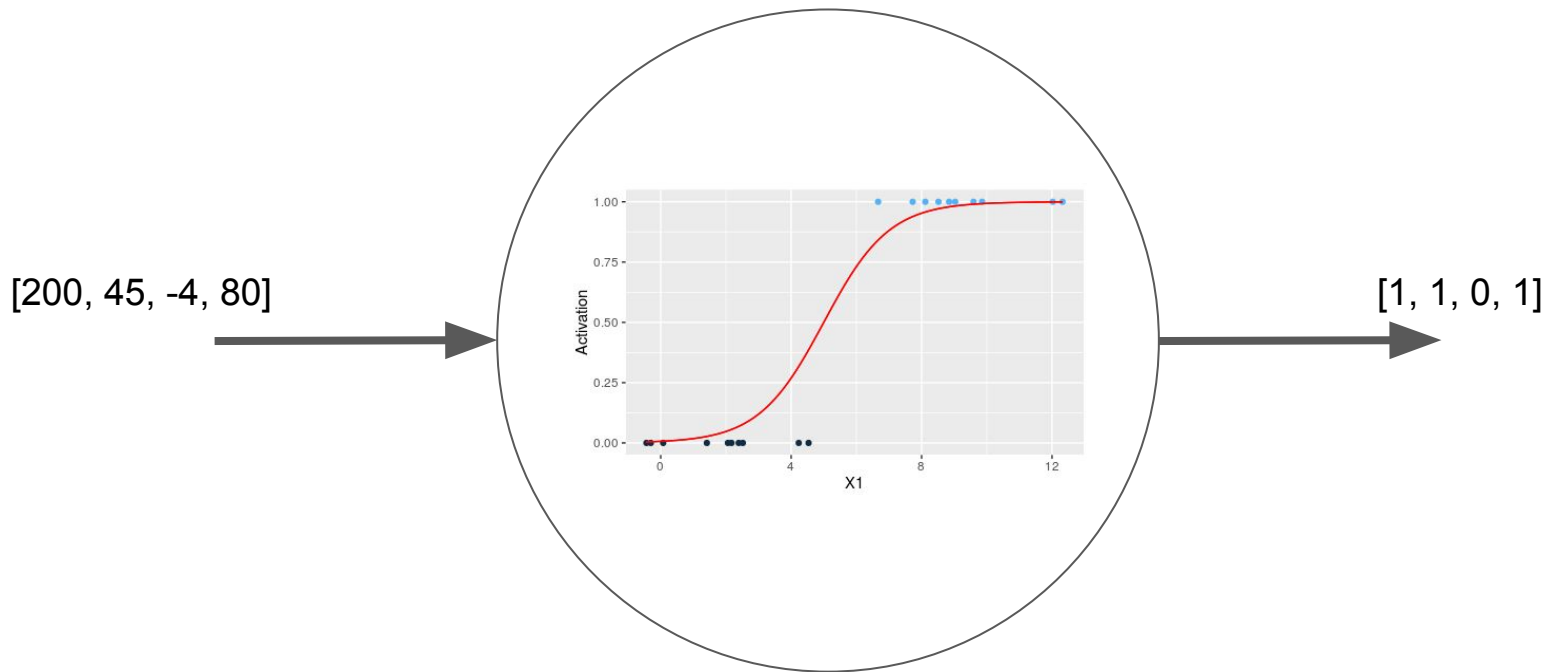
- (30min) What is deep learning overview ([Slides](#))
  - Define supervised and self-supervised prob perspective
  - How to approach problems (use sklearn)
  - Examples of go-to methods: logistic regression, decision tree etc (use sklearn)
- (45min) Backprop in more detail ([Slides](#))
  - Work through an example of manually performing the algorithm
  - Backpropagation (visualizing the chain rule)
  - Intuition for applying gradient updates for arbitrary functions
- break
- (1hr) Representation learning ([Slides](#))
  - Non-linear dim reduction
  - word2vec
  - Sammons map (tutorial code)
  - t-SNE
  - Regularization

# Intro to Deep Learning

3 lectures  
Ask questions

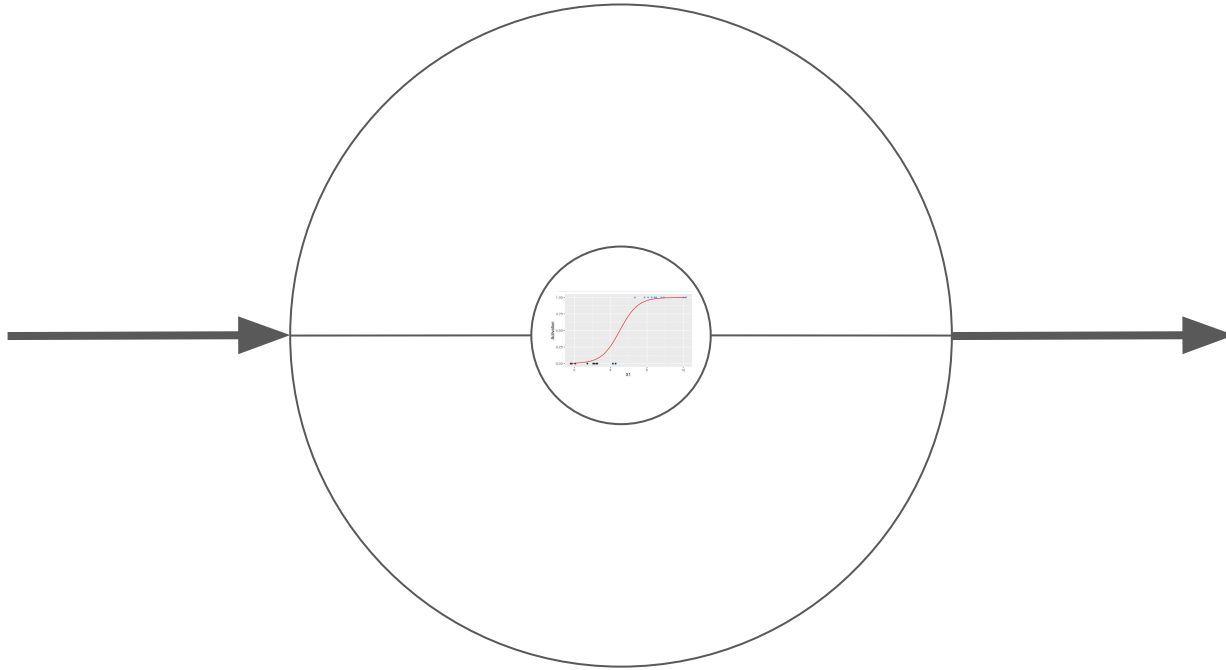
# What is Deep Learning?

Logistic Regression



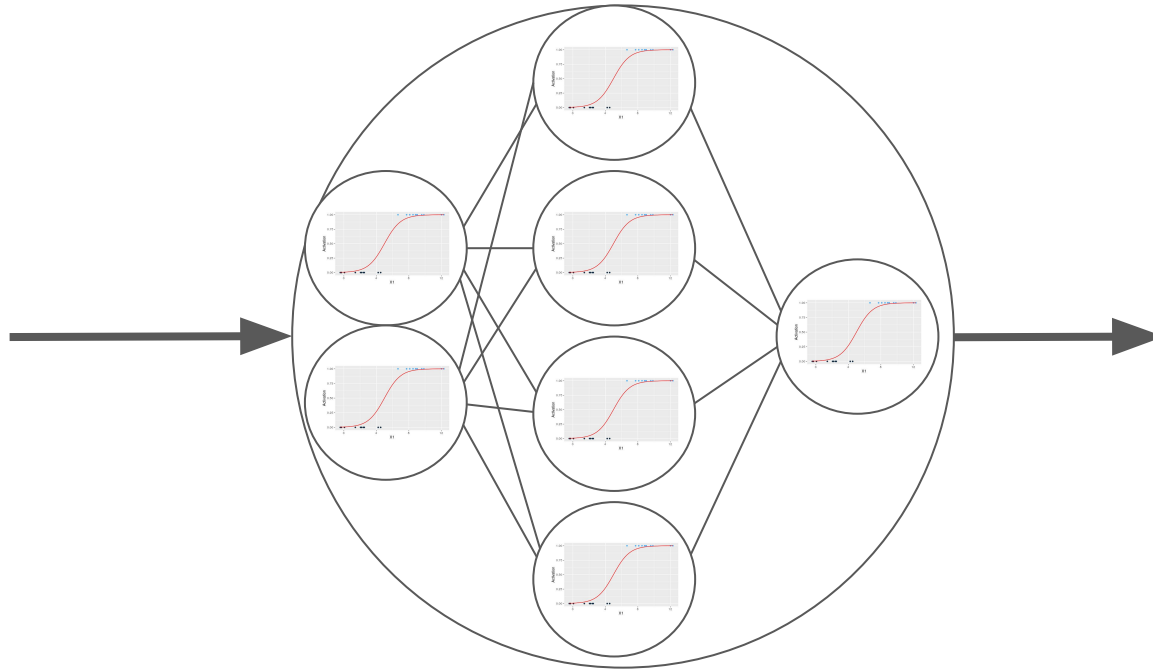
# What is Deep Learning?

Logistic Regression

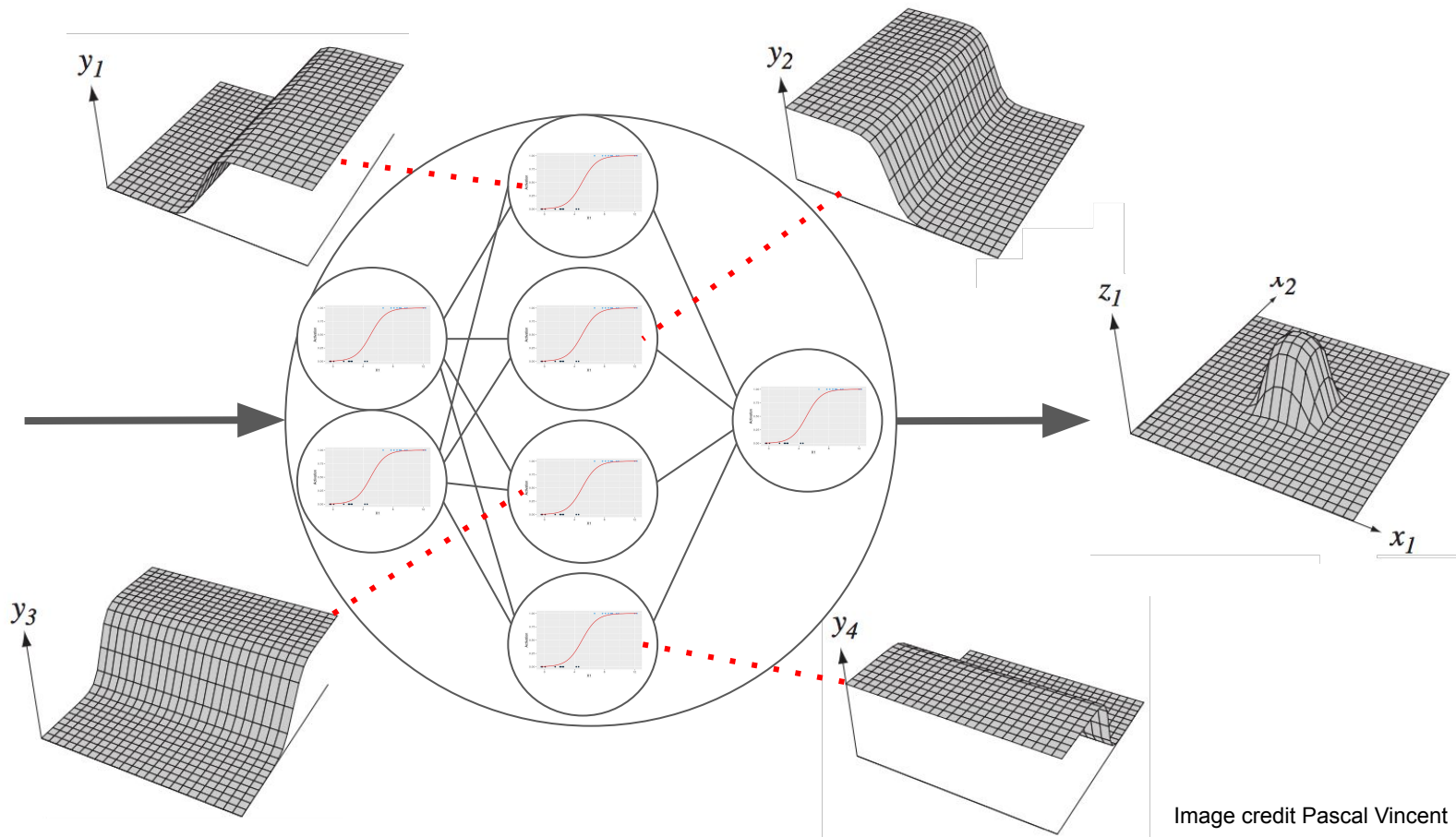


# What is Deep Learning?

Logistic Regressions

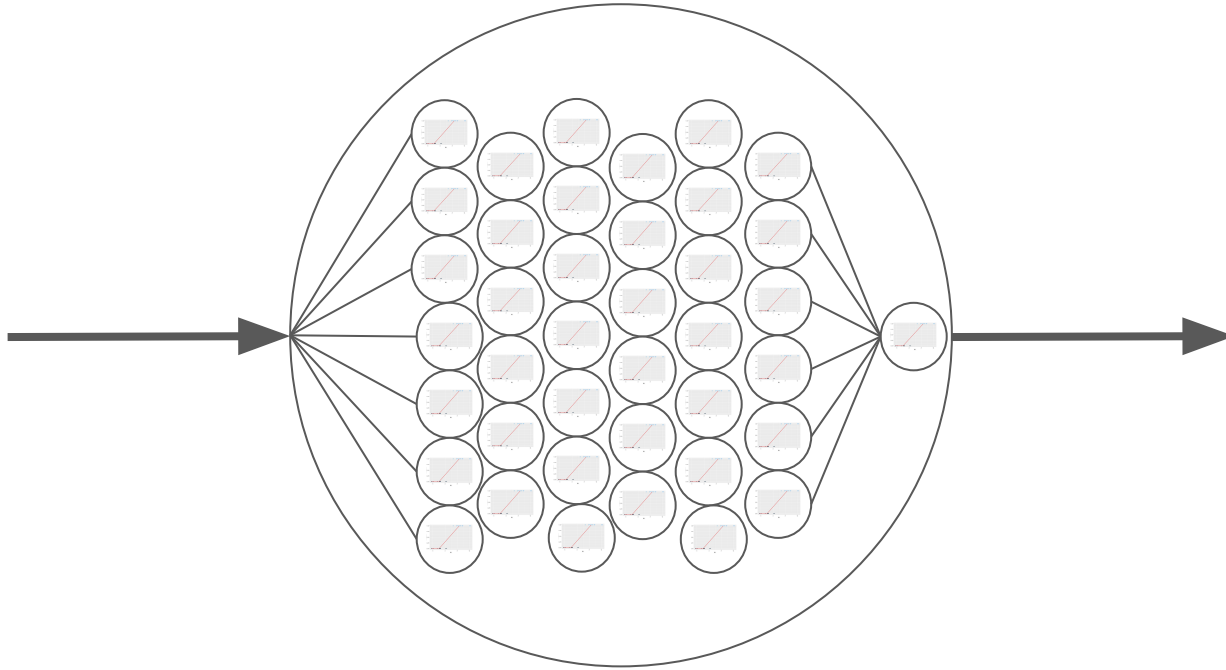


# What is Deep Learning?



# What is Deep Learning?

Logistic Regressions

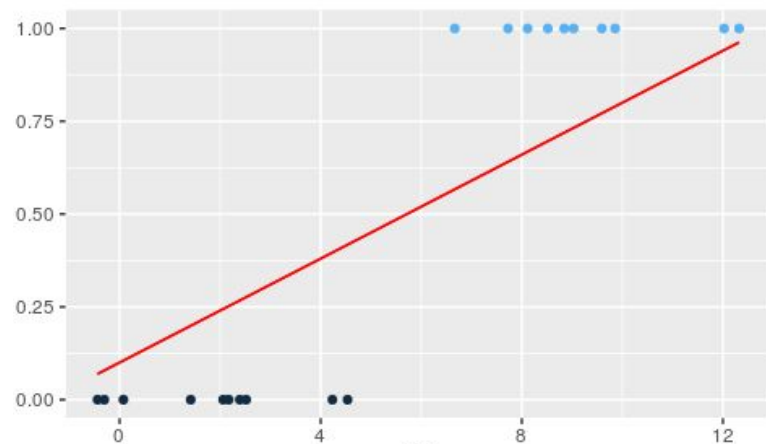


# Neural Networks: Architectures

$$\sum_i w_i x_i + b$$



$$\sum_i w_i x_i + b$$

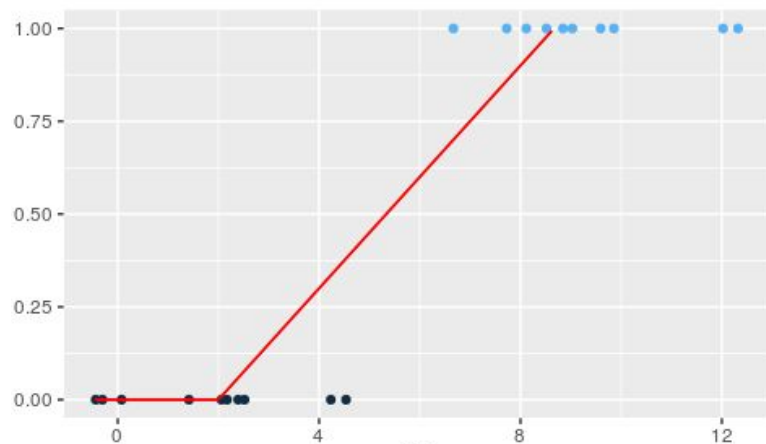


— Output

• Ground truth output

$$f\left(\sum_i w_i x_i + b\right)$$

$$f(x) = \max(0, x)$$

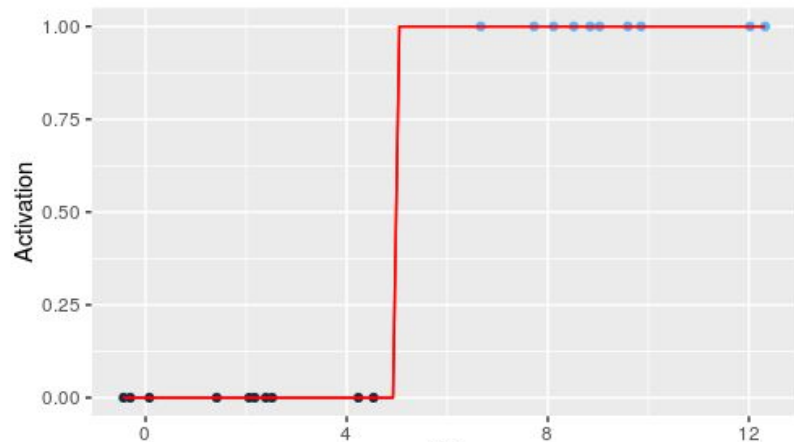


— Output

• Ground truth output

$$f\left(\sum_i w_i x_i + b\right)$$

$$f(x) = \begin{cases} 1 & \text{if } (x > 0) \\ 0 & \text{otherwise} \end{cases}$$

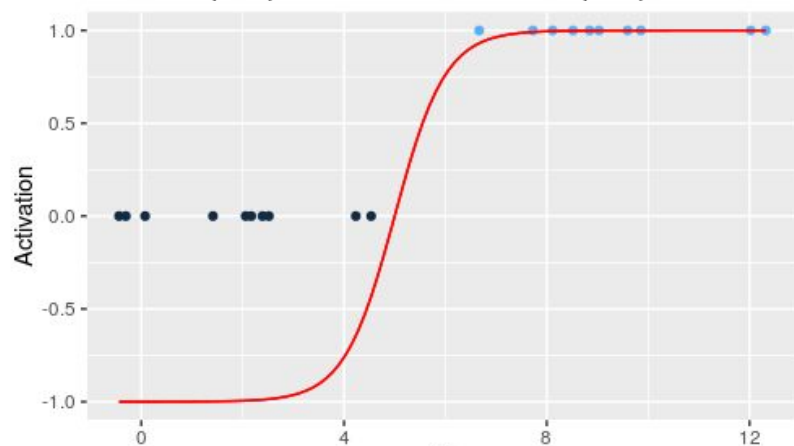


— Output

• Ground truth output

$$f\left(\sum_i w_i x_i + b\right)$$

$$f(x) = \tanh(x)$$



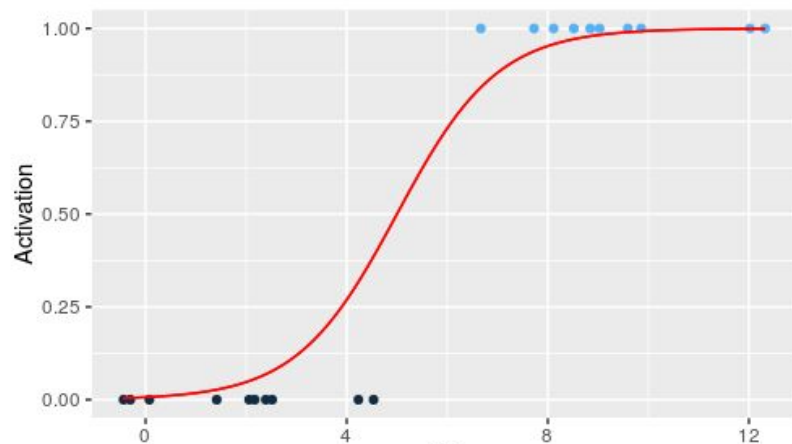
— Output

• Ground truth output

•

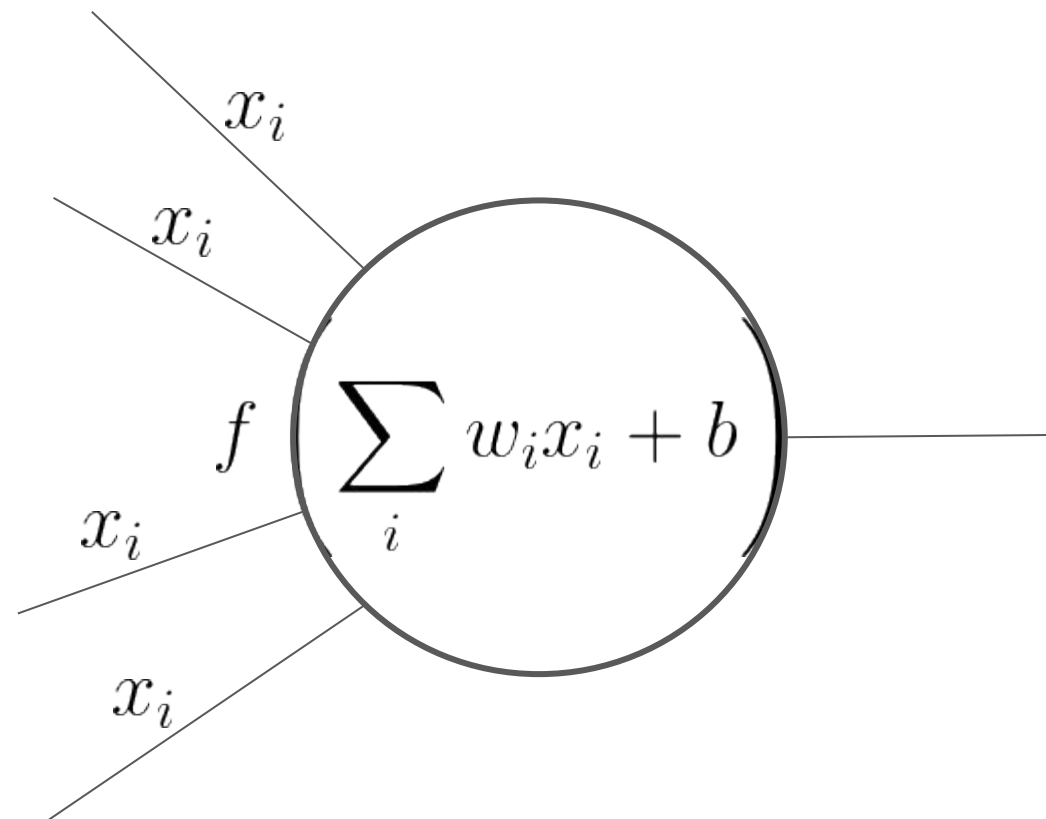
$$f\left(\sum_i w_i x_i + b\right)$$

$$f(x) = \frac{1}{1 + e^{-x}}$$

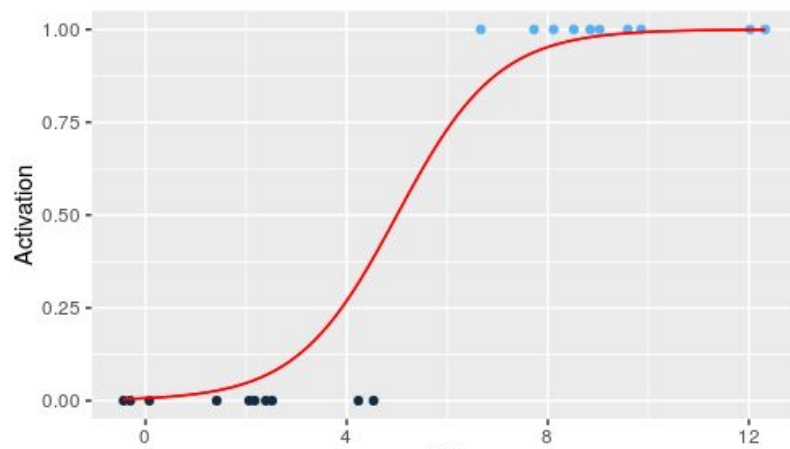


— Output

• Ground truth output

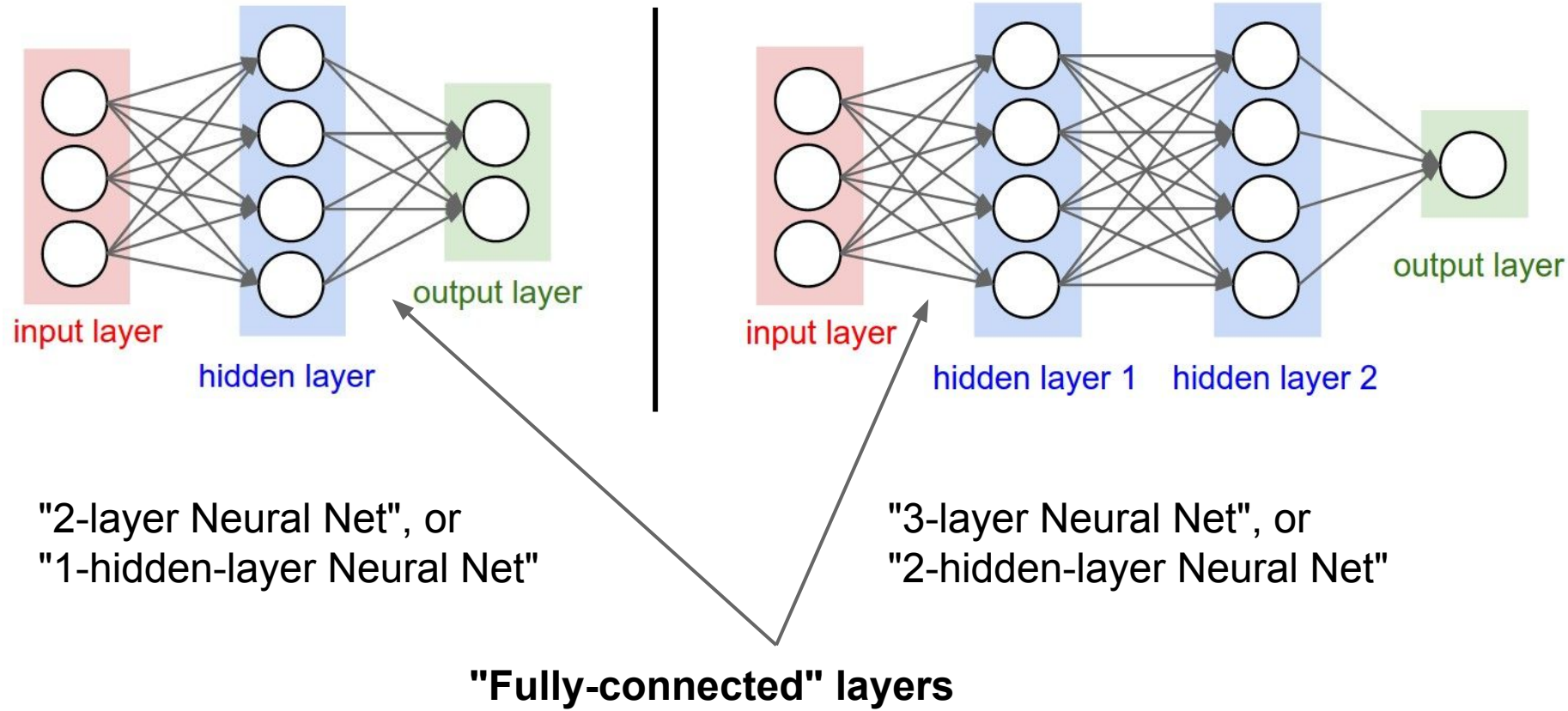


$$f(x) = \frac{1}{1 + e^{-x}}$$



- Output
- Ground truth output

# Neural Networks: Architectures



# Multi-class classification

Approach: at the end of a network output a vector with some number of units as classes.

Normalize these outputs to be a probability distribution.

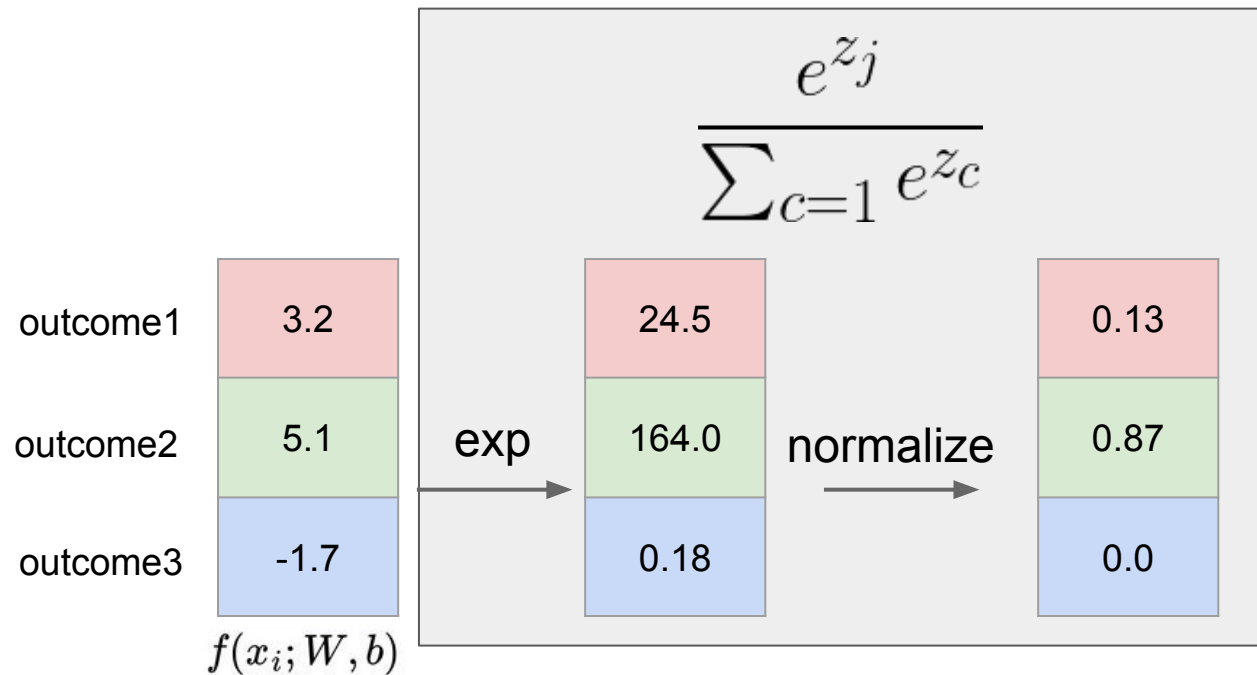
One way is to use a softmax function.

$$\frac{e^{z_j}}{\sum_{c=1} e^{z_c}}$$

Softmax function

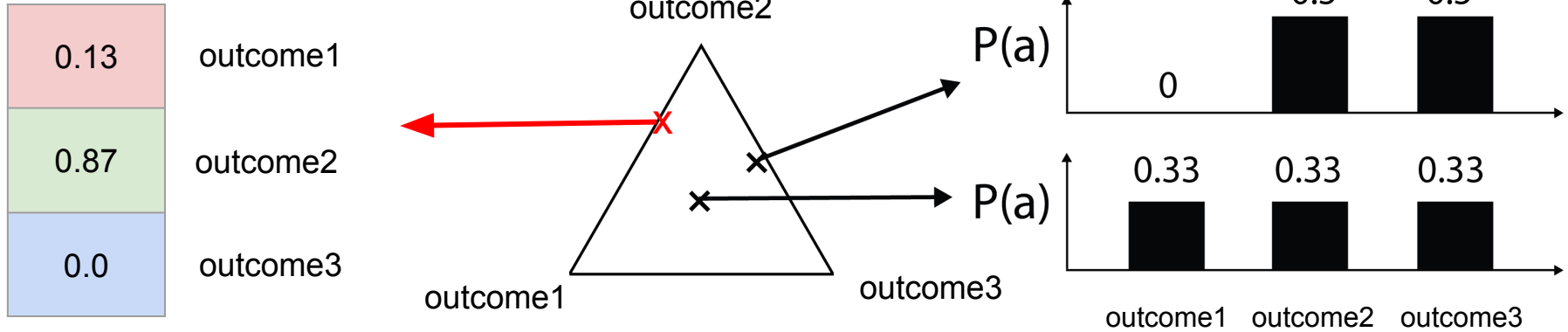


# A note on the softmax function

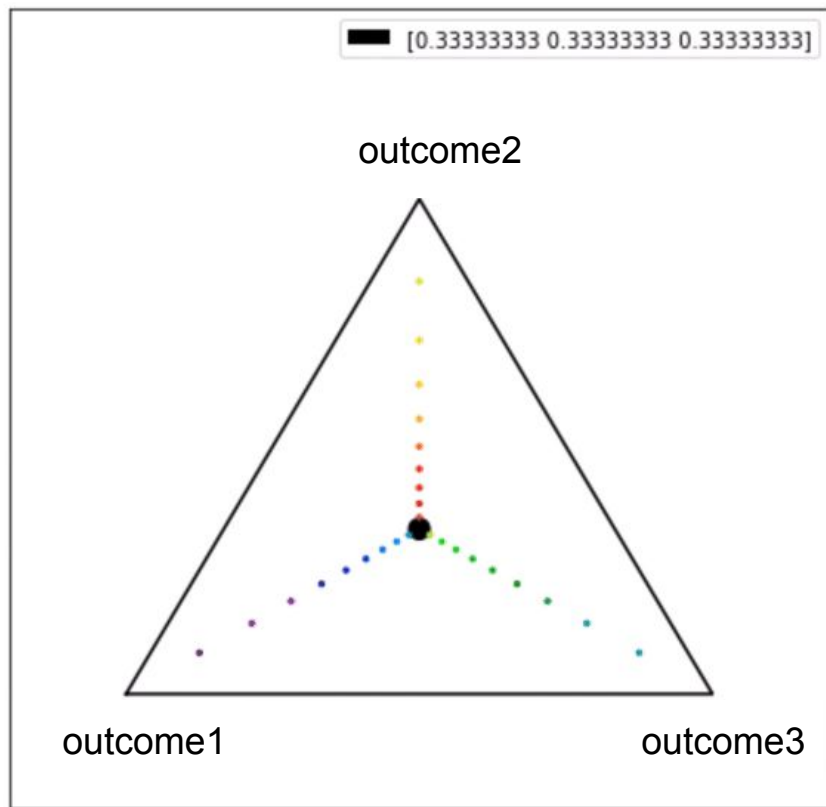
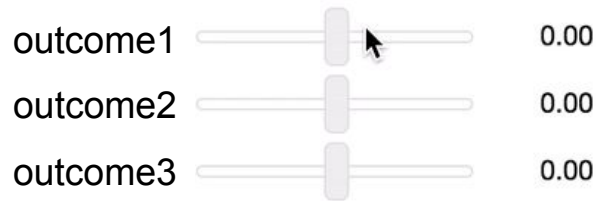


To predict multiple classes we project to a probability distribution

# Simplex



Because it is on a simplex; the correction of one term impacts all

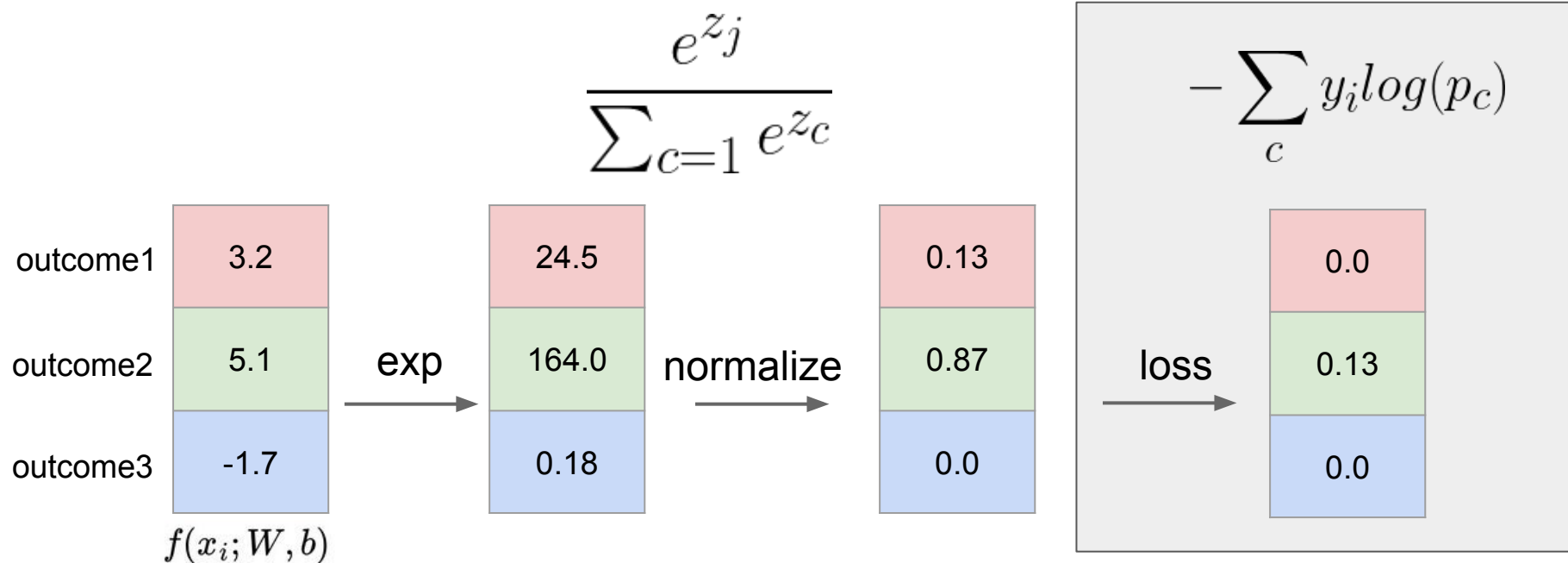


Infinite ways to generate the same output.

A correction of one sends gradients to others

We can learn unseen classes through a process of elimination.

# Softmax and Cross-entropy loss



To predict multiple class we can project the output onto a simplex and compute the loss there.

# Types of learning

## Supervised

Clear training signal related to goal  
e.g. classification, regression

## Self-supervised/unsupervised

Using the data itself as a training signal  
e.g. clustering, autoencoders

# How Much Information is the Machine Given during Learning?

## ▶ “Pure” Reinforcement Learning (**cherry**)

- ▶ The machine predicts a scalar reward given once in a while.

## ▶ **A few bits for some samples**

## ▶ Supervised Learning (**icing**)

- ▶ The machine predicts a category or a few numbers for each input
- ▶ Predicting human-supplied data
- ▶ **10→10,000 bits per sample**

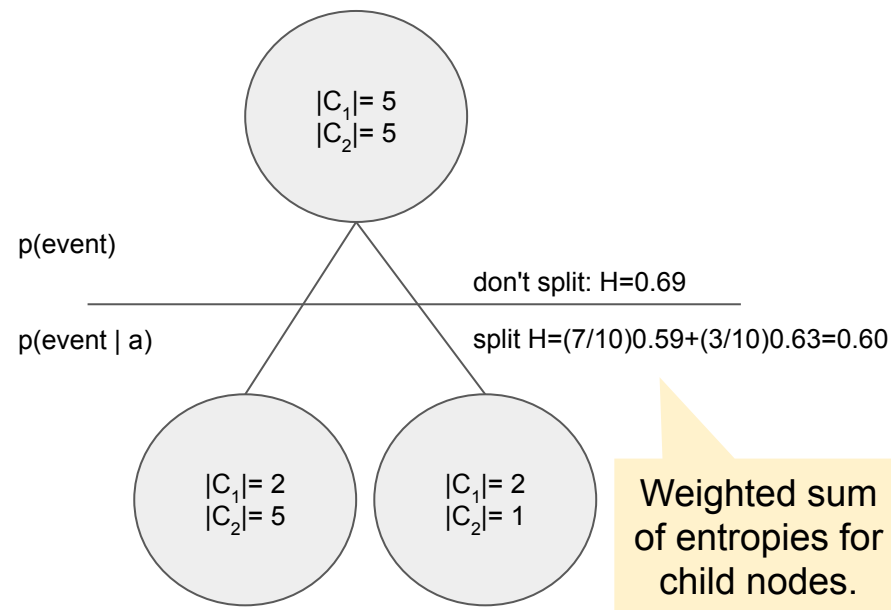
## ▶ Self-Supervised Learning (**cake génoise**)

- ▶ The machine predicts any part of its input for any observed part.
- ▶ Predicts future frames in videos
- ▶ **Millions of bits per sample**



# A quick intro to decision trees

One approach to build them using "information gain" where a node is split into two if the entropy reduction is the most.



$$IG(Y, A) = H(Y) - H(Y|A)$$

$$H(Y) = - \sum_{y \in Y} p(Y = y) \log p(Y = y)$$

$$H(Y|A) = \sum_{a \in A} p(A = a) H(Y|A = a)$$

# Homework

Create an example split which should not be split given the IG criteria.

Can something be supervised and unsupervised? Think of examples.





